

Sensitive analysis and Design of Step Ladder layout using Metaheuristics with integrated scheduling

K.Mallikarjuna¹, K.HemachandraReddy²

¹Department of ME, G. Pullaiah college of Engineering and technology, Kurnool, AP,INDIA

²Department of ME, JNTUCEA, Ananthapuram,AP,INDIA

Abstract

Universally specialists and scientists accept that flexibility assume a elementary play in modern factory segment. Only associated with modest parcel size generation since agility adaptable is an indispensable part to be incorporate into course of action of racks in format plan among the assembling fragment. In view of such conditions, considering NP hard double target issues is, regularly, a lumbering responsibility. In this work, researchers tended to about a populace based metaheuristics like differential development (DE) and sheep run technique (SRT) for making wrung order structure configuration issues in flexible system of manufacturing environment. The originators focused on twofold target headway of which fundamental objective is stressed over the versatile slot (FJSP) arranging issue, the accompanying objective focused on wrung order Layout issues where expelling the interest of machines with in lead-ins of wrung steps to control rigid transportation cost and hoarding lead time of employments on machines. The execution of the estimation (SRT and DE) is crisscross by benchmark issues. At long last, it is pondered that SRT outfits flawless outcomes at the point on par with DE. Further a literature comparison is done for the proposed results against literature results and conclusions depicted.

Keywords:- Flexibility, wrung order structure, metaheuristics, Tabu Search, sheep run technique

1. Introduction

In the present situation, mechanized assembling ventures are under prodigious stress which brought about by the increasing expense of vitality, materials, works, capital, and strengthening overall challenge. While these patterns will stay for quite a while, the issue fronting producing today run much cavernous. By and large, they come from the very idea of the assembling procedure itself. So as to beat that, Adaptable Manufacturing frameworks (@FMSs) are viewed as one of the most productive strategies to use in lessening or taking out assembling issues. FMS is in excess of a specialized arrangement[1]; it is a business-driven arrangement prompting improve gainfulness through decreasing lead times and stock levels and improved assembling viability through expanded operational adaptability, consistency, and control.

The FMS design includes assigning different hold for achieving full skill. The plan has an impact eager for elapsed time and cost [2] which ought to be resolved in the beginning of the FMS [3]. By and by, the most generally utilized sort of FMS designs [4] are as per the following:

1. Line or single column design
2. Circle format or oval shape design
3. Stepladder or pecking order or wrung structure layout
4. U-shaped format

Amongst the above Layouts, this paper addressed about wrung order layout with scheduling as restrictions utilizing Sheep Run Technique (SRT) and Tabu search method (TS).

2. Wrung Order Layout

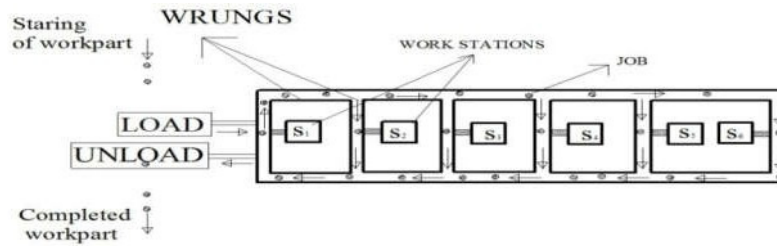


Fig 1: Wrung order Layout Arrangements of FMS for 6 machines

3. Problematic Depiction

The work plan got from Liu et al. [5] acted reference for this work. analyst's complement on structure of Ladder position in versatile course of action of collecting with [FJSP] versatile jobshop booking as impediment.

3.1 Multi Goal Mathematical Representations

Here, maker familiarize the twofold target condition with break the versatile variable bunch arranging issues which are united with wrung design arrangement primes to lessen the Goal of Work such as Throughput, make run,

Objective Functions

- 1) Minimize Make Span $F(S_{maxi})$

$$\text{Minimize } F(S_{max}) = S_{n,m} \quad (1)$$

Subjected To

- 1) conjunctive constraints

$$S_{i,j,k} \leq S_{i,j+1,k} - T_{i,j+1}, \quad \text{for } j = 1, 2, 3 \dots p$$

$$S_{i,j,k} \geq 0, \quad \text{for } j = 1, 2, 3 \dots p$$

- 2) Resource constraints

$$O_{i,j,k} = 1 \quad \text{if job } i \text{ scheduled before job } i'$$

on machine k

$$= 0 \quad \text{otherwise; for } O \in S(i,j,k)$$

$$\text{for } j = 1, 2, 3 \dots p$$

$$i, i' = 1, 2, 3 \dots n, \quad k, k' = 1, 2, 3 \dots m$$

- 3) Disjunctive constraints

$$B_{i,k} = 1 \text{ if job } i \text{ processed only once on machine } k$$

$$= 0 \text{ otherwise; for } B \in S(i,j,k)$$

$$\text{for } i, i' = 1, 2, 3, \dots, n,$$

$$k, k' = 1, 2, 3, \dots, m$$

II) Minimize Total Transportation Cost (Z) =

$$\left[\sum_{mi=1}^M \sum_{mj=1}^M \left(MF_{mi} \quad *MH_{mi} \quad *RD_{mi} \right) + LOC_{mi} + ULOC_{mj} \right] \quad (2)$$

Subjected to

$$\sum_{mi=1}^M X_{mimj} = 1 \text{ if machine } m_i \text{ is at assigned to slot } N$$

$$= 0 \text{ otherwise}$$

$$\sum_{mj=1}^M X_{mimj} = 1 \text{ if machine } m_j \text{ is at assigned to slot } N$$

$$= 0 \text{ otherwise;}$$

$$X_{mimj} \in \{0,1\}, \text{ where } m_i, m_j = 1,2,\dots,N$$

4. Proposed Advanced Optimization

This work is proposed with two advanced non-traditional optimization techniques such as

- a) Sheep Run technique
- b) Tabu search method

The above two methods are applied on to multiobjective function of wrung order layout design with scheduling constraints and necessary throughputs, make run has been obtained.

4.1 Sheep Run Technique

In the inception, SRT (Sheep Run Techniques) was developed by Hyunchul and Byungchul (2001)[6]. This calculation was started to explain huge scale issues on planning over a period of a few continuous years. And it is competing with performance of another evolutionary algorithm called Genetic algorithm calculation it is alluded as staggered hereditary activities can get great arrangements. This calculation was commonly founded on the common difference in sheep in the group.

Let us consider two runs of sheep’s in a structure with two persons for vigilance who being monitoring and observing those sheep runs. At the moment when these two were busy in chitchat[7], there is a probability of unification of herds been takes place, in such condition both the persons arrive at the mixed gathering and endeavor to segregate the sheep’s from mixed surges and keep the groups as of now. In actuality, the effect of inheritance will imperfection on specific surges. In this, a necessary steps which describes the multilevel genetic operation[8] for scheduling problem which is a constraint in layout design in Sheep run techniques which is given below.

4.1.1 Multilevel genetic operation

```

Sub-Chromosomal by cross overing the strings
    for (int p = 1; p <= no_populations; ++p) {
        int *tt;
        tt = subChromosomeCrossOver(chs[p],
size*subChsCrossOverRatio, size);
        for (int b = 1; b <= size; b++) {
            chsSUB[p][b] = tt[b];
        }
    }

    // Inverse mutations for Sub-Chromosomes
    for (int p = 1; p <= no_populations; ++p) {
        int *tt;
        tt = inverseMutation(chsSUB[p],
size*subChsCrossOverRatio, size);
        for (int b = 1; b <= size; b++) {
            chsIM[p][b] = tt[b];
        }

        tt = repairChromosome(chsIM[p], size);
        for (int b = 1; b <= size; b++) {
            chsIM[p][b] = tt[b];
        }
    }

```

4.2 Tabu search

Tabu Search (TS), a heuristic strategy initially proposed by Glover in 1986, to different combinatorial issues have showed up in the activities explore writing. In a few cases, the strategies portrayed give arrangements near optimality[9] and are among the best, if not the best, to handle the troublesome issues within reach. These victories have made TS incredibly well known among those keen on discovering great answers for the huge combinatorial issues experienced in numerous down to earth settings. Here , a necessary procedure steps for scheduling using tabu search[10] is furnished through psedo code

```

int makespan_ObjectWithWaitingTimes(Schedulable_operations
representatives1[],int sequence[]){
    Schedulable_operations
S[MAX],J[MAX],Job_order[MAX],RR[MAX],JJ[MAX];
    int
R[no_machines+1],RT[no_machines+1],SMPT[no_batches+1],OP[no_batches+1],
nn=no_batches*no_operations,order=1,n=0;
    int num=0;
    int OP1[MAX];
    int Morder[MAX_MC][MAX];
    int Morder1[MAX_MC][MAX];
    initialize();
    //display_ReprestativesSequence(representatives1,sequence);
    for(int k=1;k<=no_machines;k++){
        for (int l = 1; l<= no_batches*no_operations; l++) {
            Morder[k][l] = 0;
            Morder1[k][l] = 0;
        }
        OP1[k] = 1;
    }
}

```

5. Results and Discussion

Six different machine slots with different processing of jobs on machines to be allocated in machine slots in wrung order layout for effective design of layout is considered, along with necessary process times , interslot distance between machines and load and unloading cost is also considered. Different combinations of these six slots for machine allocations, six jobs and varied operations of jobs for different cluster combinations were used sets and four layouts are used to generate 5 example problems[1]. Here Table 1 shows production summary of Wrung order layout and Table 2 shows batch varieties with batch sizes of wrung order layout

TABLE 1. OUTLINE OF PRODUCTION SYSTEM

| Layout Pattern | No.of Machines | No.of batches | No of operations | Load/Unload stations |
|----------------|----------------|---------------|------------------|----------------------|
| Ladder | 6 | 6 | 6 | 2 |

TABLE 2: BATCH VARIETIES WITH BATCH SIZES OF THE LADDER LAYOUT WITH 6 MACHINES WITH 6BATCHES

| Batch number | | B1 | B2 | B3 | B4 | B5 | B6 |
|-----------------|-----|-----|----|----|----|----|----|
| Batch varieties | VBS | 100 | 70 | 55 | 60 | 80 | 40 |

TABLE 3 . COMPARISON OF MAKESPAN OF THE PROPOSED EVOLUTIONARY ALGORITHMS (FOR VBS WITH 100 GENERATIONS)

| PROBLEM INSTANCE | SFHA | TS |
|------------------|-------|-------|
| | MAKSP | MAKSP |
| KMK 1-(6x6x6) | 5020 | 5520 |
| KMK 2-(6x5x5) | 4200 | 4800 |
| KMK 3-(6x5x4) | 3445 | 3950 |
| KMK 3-(6x4x4) | 3025 | 3300 |
| KMK 3-(6x4x3) | 2554 | 2995 |

TABLE 4 . COMPARISON OF OVERALL CONVEYANCE CHARGES OF THE PROPOSED EVOLUTIONARY ALGORITHMS (FOR VBS WITH 50 GENERATIONS)

| Prob Inst | SFHA | TS |
|---------------|------|------|
| | OCC | OCC |
| KMK 1-(6x6x6) | 8400 | 9200 |
| KMK 2-(6x5x5) | 7652 | 8560 |
| KMK 3-(6x5x4) | 7025 | 8020 |
| KMK 4-(6X4X4) | 6654 | 7885 |
| KMK 5-(6X4X3) | 5951 | 6995 |

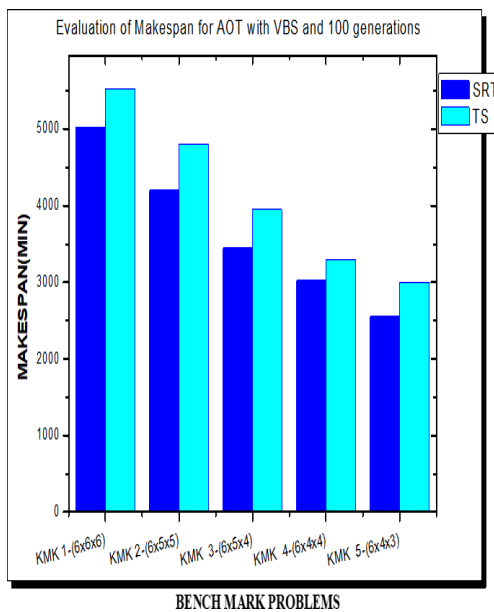


Fig 2:Plot of Make span to analyze performance of proposed algorithm

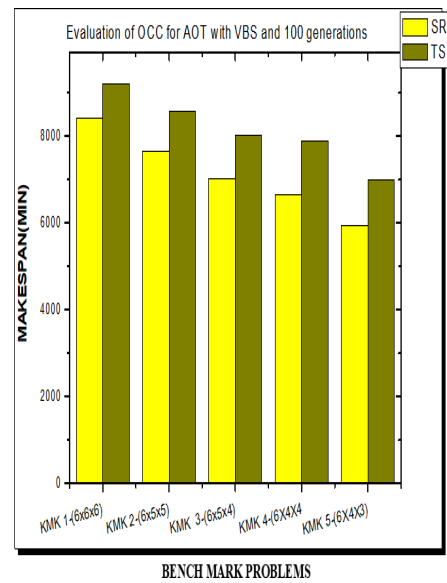


Fig 3:Plot of Overall conveyance charge to analyse performance of proposed algorithm

5.1 Inferences

From Tables 3, 4 and Figs. 2, 3 it is discovered that execution of SRT and TS for computing Overall Conveyance charge and Makespan is diminishing as issue measure is littler according to the issue scope. By relative investigation, it is seen that OCC are upgraded for SRT.

5.2 Convergence of Proposed Algorithms

The performance of algorithms are estimated in converging their solutions towards best solution. Here authors have executed the solutions for 500 iterations in incremental mode with runout of 50 iterations each. The table 5 shows that the various convergence solutions for five problem instances of Sheep Run Techniques and Tabu search are depicted.

TABLE 5 . Convergence Comparison Of Overall Conveyance Charges Of The Proposed Algorithms FOR KMK-1 (For VBS With 50 Generations Increment Upto 500 Generations)

| Prob Inst | No.of Generations | SRT(Rs) | TS(Rs) |
|---------------|-------------------|---------|--------|
| KMK 1-(6x6x6) | 50 | 8400 | 9200 |
| | 100 | 8380 | 9180 |
| | 150 | 8225 | 9140 |
| | 200 | 8135 | 9112 |
| | 250 | 8100 | 9055 |
| | 300 | 8054 | 9024 |
| | 350 | 8032 | 9010 |
| | 400 | 7998 | 9000 |
| | 450 | 7988 | 8995 |
| | 500 | 7971 | 8992 |

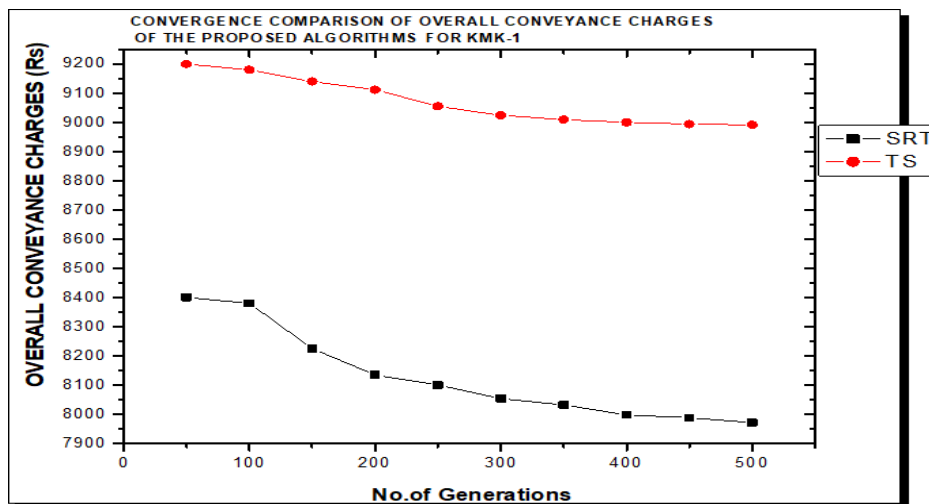


Fig 4:Plot of Overall conveyance charge to analyse convergence of proposed algorithm for KMK-1

TABLE 6. CONVERGENCE COMPARISON OF OVERALL CONVEYANCE CHARGES OF THE PROPOSED ALGORITHMS FOR KMK-2 (FOR VBS WITH 50 GENERATIONS INCREMENT UP TO 500 GENERATIONS)

| Prob Inst | No. of Generations | SRT(Rs) | TS(Rs) |
|---------------|--------------------|---------|--------|
| KMK 2-(6x5x5) | 50 | 7652 | 8560 |
| | 100 | 7610 | 8558 |
| | 150 | 7580 | 8552 |
| | 200 | 7550 | 8548 |
| | 250 | 7522 | 8540 |
| | 300 | 7495 | 8535 |
| | 350 | 7462 | 8529 |
| | 400 | 7445 | 8519 |
| | 450 | 7410 | 8511 |
| | 500 | 7395 | 8506 |

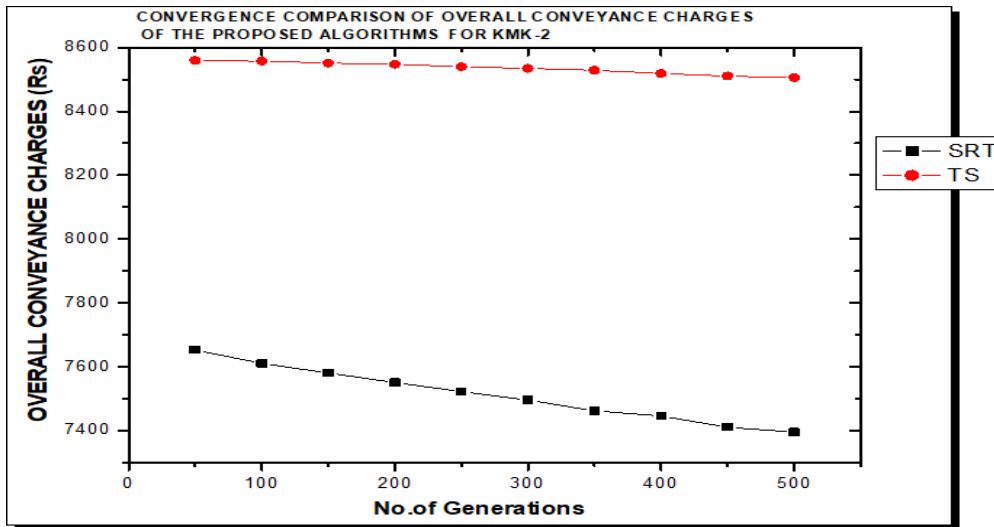


Fig 5:Plot of Overall conveyance charge to analyse convergence of proposed algorithm for KMK-2

TABLE 7. CONVERGENCE COMPARISON OF OVERALL CONVEYANCE CHARGES OF THE PROPOSED ALGORITHMS FOR KMK-3 (FOR VBS WITH 50 GENERATIONS INCREMENT UP TO 500 GENERATIONS)

| Prob Inst | No. of Generations | SRT(Rs) | TS(Rs) |
|---------------|--------------------|---------|--------|
| KMK 2-(6x5x4) | 50 | 7025 | 8020 |
| | 100 | 7010 | 8015 |
| | 150 | 6994 | 8011 |
| | 200 | 6982 | 8008 |
| | 250 | 6975 | 8003 |
| | 300 | 6952 | 7998 |
| | 350 | 6915 | 7996 |
| | 400 | 6895 | 7992 |
| | 450 | 6882 | 7989 |
| | 500 | 6853 | 7984 |

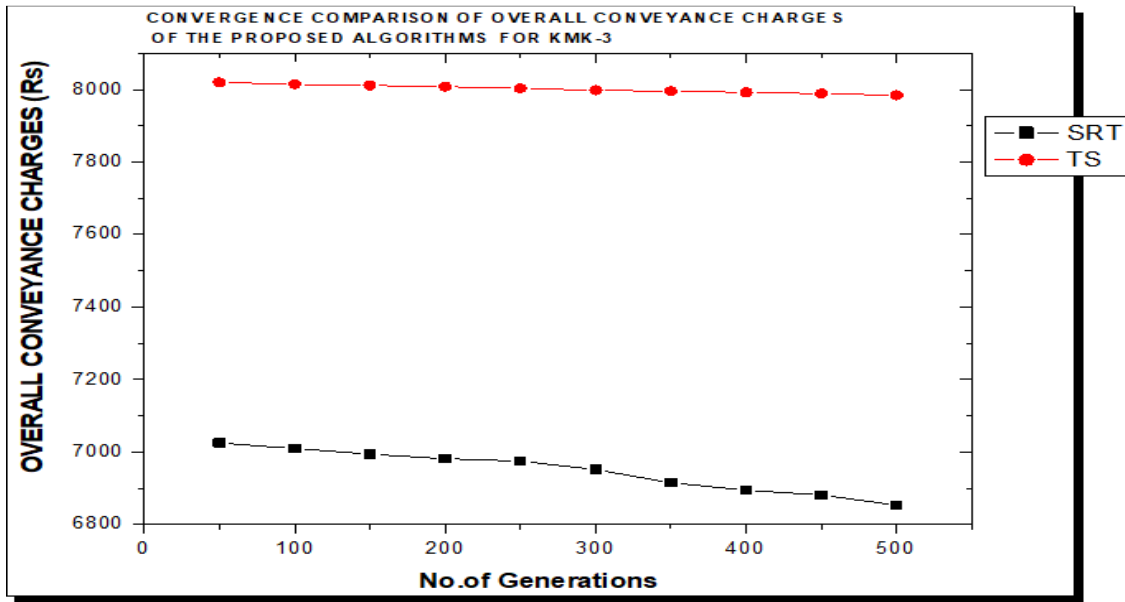


Fig 6:Plot of Overall conveyance charge to analyse convergence of proposed algorithm for KMK-3

TABLE 8. CONVERGENCE COMPARISON OF OVERALL CONVEYANCE CHARGES OF THE PROPOSED ALGORITHMS FOR KMK-4 (FOR VBS WITH 50 GENERATIONS INCREMENT UPTO 500 GENERATIONS)

| Prob Inst | No. of Generations | SRT(Rs) | TS(Rs) |
|---------------|--------------------|---------|--------|
| KMK 2-(6x4x4) | 50 | 6654 | 7885 |
| | 100 | 6642 | 7881 |
| | 150 | 6630 | 7878 |
| | 200 | 6621 | 7874 |
| | 250 | 6610 | 7871 |
| | 300 | 6595 | 7869 |
| | 350 | 6582 | 7863 |
| | 400 | 6570 | 7858 |
| | 450 | 6555 | 7852 |
| | 500 | 6495 | 7847 |

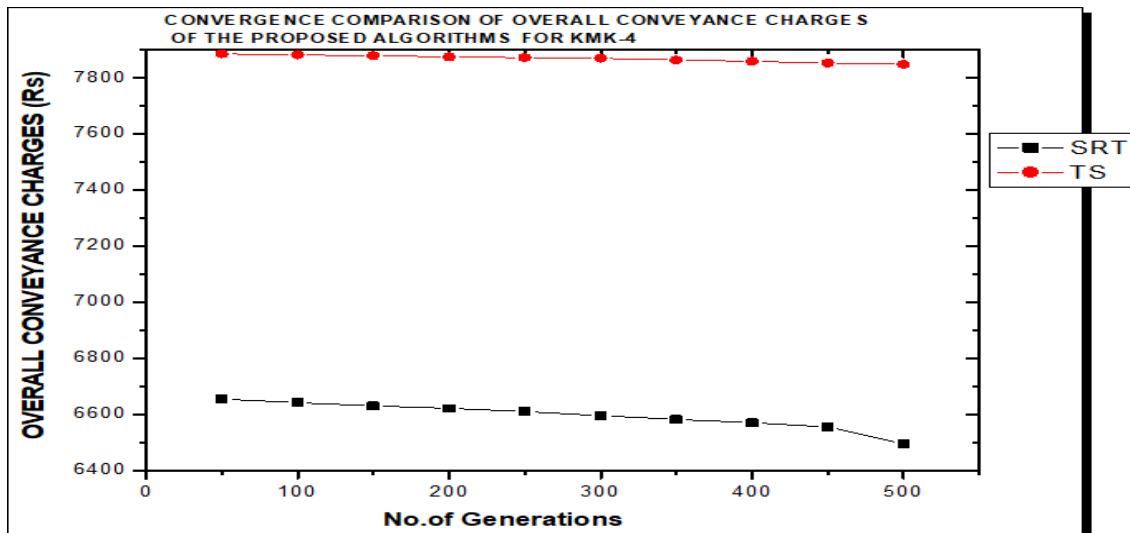


Fig 7:Plot of Overall conveyance charge to analyse convergence of proposed algorithm for KMK-4

TABLE 9. CONVERGENCE COMPARISON OF OVERALL CONVEYANCE CHARGES F THE PROPOSED ALGORITHMS FOR KMK-5 (FOR VBS WITH 50 GENERATIONS INCREMENT UPTO 500 GENERATIONS)

| Prob Inst | No. of Generations | SRT(Rs) | TS(Rs) |
|---------------|--------------------|---------|--------|
| KMK 2-(6x4x3) | 50 | 5951 | 6995 |
| | 100 | 5932 | 6992 |
| | 150 | 5910 | 6989 |
| | 200 | 5895 | 6887 |
| | 250 | 5882 | 6884 |
| | 300 | 5873 | 6880 |
| | 350 | 5861 | 6875 |
| | 400 | 5848 | 6871 |
| | 450 | 5837 | 6866 |
| | 500 | 5823 | 6859 |

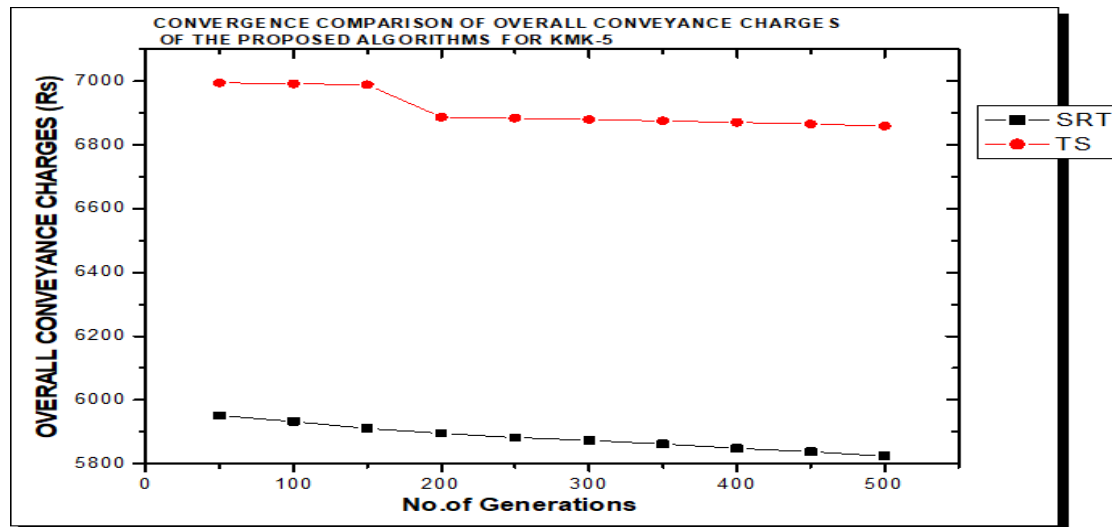


Fig 8:Plot of Overall conveyance charge to analyse convergence of proposed algorithm for KMK-5

6. Conclusion

This work addressed on the presenting of Ladder layout configuration with incorporated planning for which the recurrence of excursions of jobs between machines, the gap between the machines with stacking and emptying good ways from stacking/emptying station to all machines, and unit material taking care of expense (MHD) are evaluated in an unexpected way. The issue is encircled as the quadratic project issues (QPI) proposal of Capacity layout problems. This is inferable from the point that in the QPI models, the separation between the places of allocation is recognized well ahead of time yet it is structure subordinate for the problems considered in this paper. From the outcomes, we infer that wrung order design is upgraded utilizing SRT and is superior to TS with Variable batch sizes and constant MHD cost and recurrence of outings between machines.

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